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LOSSLESS IMAGE COMPRESSION USING ENHANCED WAVELET TRANSFORM

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Abstract: - This paper introduces an effective and straightforward outline, of multilevel three dimensional discrete wavelet change (3-D DWT) modules for digital image compression. The proposed modeling depends on lifting scheme methodology, utilizing the distributive arithmeticscheme, the aim of this work to reduce the hardware complexity and increase the processing speed. This scheme comprises of a memory controller, buffer unit, direct memory access to accelerate framework operations, and line and column operator. The 3-dimensional discrete wavelet transform lifting plan algorithm has been actualized utilizing VHDL program for both modules forward discrete wavelet change (FDWT) and inverse discrete wavelet change (IDWT) to decide suitable word length for DWT coefficients and the peak signal to noise ratio (PSNR) for the recovered image. The deterioration algorithm of this transform is composed and blended with the VHDL and afterward executed on the FPGA Virtex 6 unit to check acceptance of results and execution of configuration.

Key words- DWT, PSNR, Lifting scheme, IDWT, ASIC

Introduction

With the increasing complexity and performance requirementsof real-time embedded systems and the advances in FPGA technology, came the advent of multi-processor architectures and, more recently, of reconfigurable computing. Reconfigurablecomputing exploits the reconfiguration capabilitiesof FPGA devices to reconfigure the resources on the FPGA to modify and adapt the functionality of these resources to aspecific application or computation that needs to be performed [1]. More recently, dynamic partial reconfiguration (DPR) of FPGAs provided the possibility to specify and constrain certainpartitions on an FPGA such that they can execute differenttasks at different points in time without consuming additional. The 3D Discrete Wavelet Transform (DWT) is broadly utilized strategy for these therapeutic imaging frameworks in view of efficient reconstruction property. DWT can break down the signals into diverse sub groups with both time and frequency data and encourage touching base at high compression ratio. Generally, DWT architecture lessens the memory necessities and expands the rate of communication by separating the image into the subblocks [2]. As of late, a strategy for executing lifting based DWT has been proposed due to lifting based DWT has numerous favorable circumstances over convolution based one [3]. The lifting structure to a great extent decreases the quantity of duplication and aggregation where filter bank

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architectures can exploit numerous low power steady augmentation calculations. FPGA is utilized as a part of general in these frameworks because of minimal effort and high registering velocity with reprogrammable property [4].

In this paper, we exhibit 3D DWT scheme lifting plan in Section 2. Area 3 talks about structural planning of proposed (5, 3) lifting 3D DWT processor and diagrams the outcomes. At last, short outlines are given in Section 4 to finish up the paper.

Related work

From last few decays, the increasing demand of storage and transmission of digital images, image compression is now become an essential application for storage and transmission [1]. Demand for communication of multimedia data through the telecommunications network and accessing the multimedia data through Internet is growing explosively [2]. With the use of digital cameras, requirements for storage, manipulation, and transfer of digital images, has grown explosively. Discrete wavelet transformations (DWT) followed by embedded zero tree encoding is a very efficient technique for image compression. Discrete wavelet transform DWT) [3] [4] represents image as a sum of wavelet functions (wavelets) on different resolution levels. Basis for wavelet transform can be composed of any function that satisfies requirements of multiresolution analysis [5]. It means that there exists a large selection of wavelet families depending on the choice of wavelet function. The choice of wavelet family depends on the application. In image compression application this choice depends on image content. Discrete Wavelet Transform (DWT) [5]-[7] can be efficiently used in image coding applications because of their data reduction capabilities. Unlike the case of Discrete Cosine Transform [6] (DCT) which basis is composed of cosine functions, basis of DWT can be composed of any function (wavelet) that satisfies requirements of multiresolution analysis. Different compression algorithms are Shapiro's embedded zero tree wavelet (EZW) algorithm [9], Said and Pearlman's set partitioning in hierarchical trees (SPIHT) algorithm [10], Servetto et al.'s morphological representation of wavelet data (MRWD) algorithm [11], and Taubman's embedded block coding with optimized truncation (EBCOT) algorithm [12], SOM based vector quantization [14], arithmetic coding [16], Singular Value Decomposition [13]. This paper presents an efficient signal processing technique based on discrete wavelet transform (DWT) for image compression..

Discrete wavelet transform

Discrete wavelet transform is based on the sub-band coding. This method is used in image processing because it is have some good features. Some of the features of DWT are mentioned below:

- In this method, low frequency sub-bands are enlarged because of more sub-bands which help to represent an image with multi resolution.
- It supports frequency domain and space domain coefficients analysis which helps better analysis for image in computer vision.
- It is easy to implement, computation overhead is less and fast computation of wavelets which is useful for image processing like image compression.

3D DISCRETE WAVELET TRANSFORM

The 3D DWT can be considered as a blend of three 1D DWT in the x, y and z directions, as appeared in Fig. 1. The preparatory work in the DWT processor outline is to build 1D DWT modules, which are made out of high-pass and low-pass channels that perform a convolution of channel coefficients and data pixels. After an one-level of 3D discrete wavelet change, the volume of picture is disintegrated into HHH, HHL, HLH, HLL, LHH, LHL, LLH and LLL signals as appeared in the Fig. 1 [3].

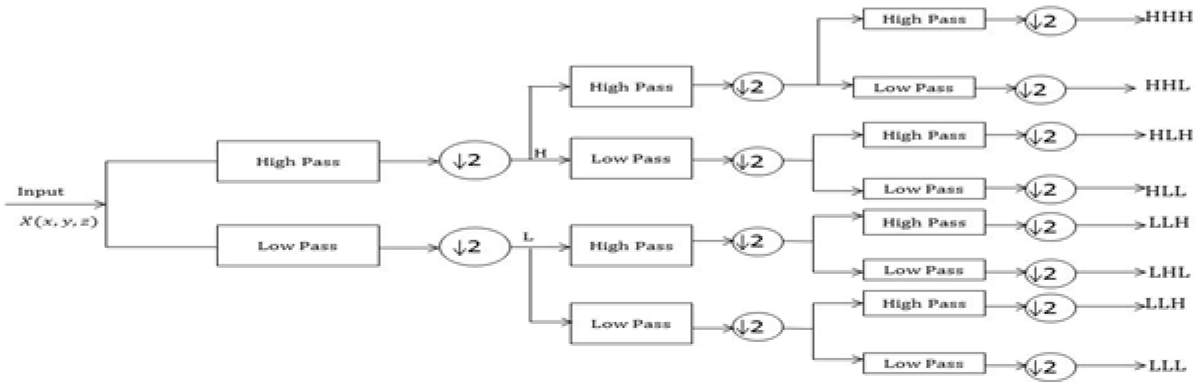

Fig 1 One-level 3D DWT structure

Lifting Scheme

To start with split the information into two sets (split stage) i.e., odd and even samples examples as appeared in Fig. 2. On account of the expected smoothness of the information, we anticipate that the odd samples have a quality that is firmly identified with their neighboring even examples. We utilize N even samples to anticipate the estimation of a neighboring odd value (Prediction stage). With a decent prediction technique, the chance is high that the first odd sample is in the same range as its expectation. We compute the contrast between the odd sample and its expectation and replace the odd example with this distinction. For whatever length of time that the sign is exceptionally connected, the recently computed odd specimens will be on the normal littler than the first one and can be spoken to with less bits. The odd portion of the sign is currently changed. To change the other half, we will need to apply the anticipate venture on the even half also. Unique sign, it has lost a few properties that we might need to safeguard. If there should be an occurrence of pictures we might want to keep the power (mean of the examples) steady all through distinctive levels. The third step (Update stage) upgrades the even specimens utilizing the recently ascertained odd examples such that the sought property is safeguarded. Presently the circle is round and we can move to the following level. We apply these three stages more than once on the even examples and change every time half of the even specimens, until all samples are changed.

Lifting Scheme consists of three steps: Split, Predict and Update as shown in the fig. 2

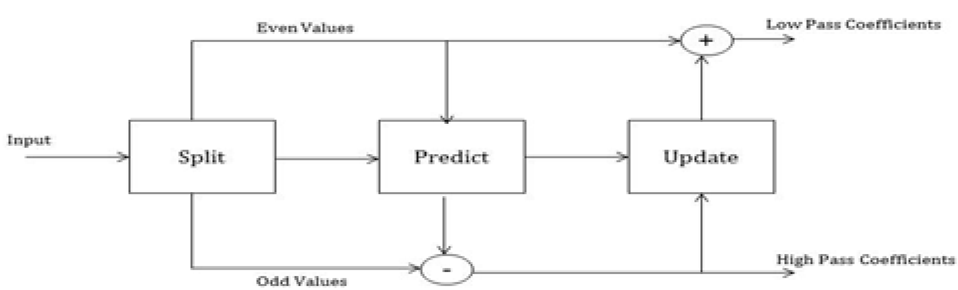

Fig.2. Lifting scheme

In the proposed system we have concentrated on the memory issues of the input image. As we have discussed earlier that the size of medical images is very huge which require more space to store the data. To overcome this memory issue and for handling the huge image data we propose distributive arithmetic architecture which is based on the dynamic memory access presented in figure 3. Traditionally, multiplication is performed using logic elements such as adders, registers etc. However, multiplication of two n-bit input variables can be performed by a ROM table of size of 22n entries. Each entry stores the precomputed result of a multiplication. The speed of the ROM lookup table is faster than that of hardware multiplication if the look-up table is stored in the on-chip memory. In DWT, one of the input variables in the multiplier can be fixed. Therefore, a multiplier can be realized by 2n entries of ROM. Distributed arithmetic implementation of the Daubechies 8-tap wavelet FIR filter consists of an LUT, a cascade of shift registers and a scaling accumulator

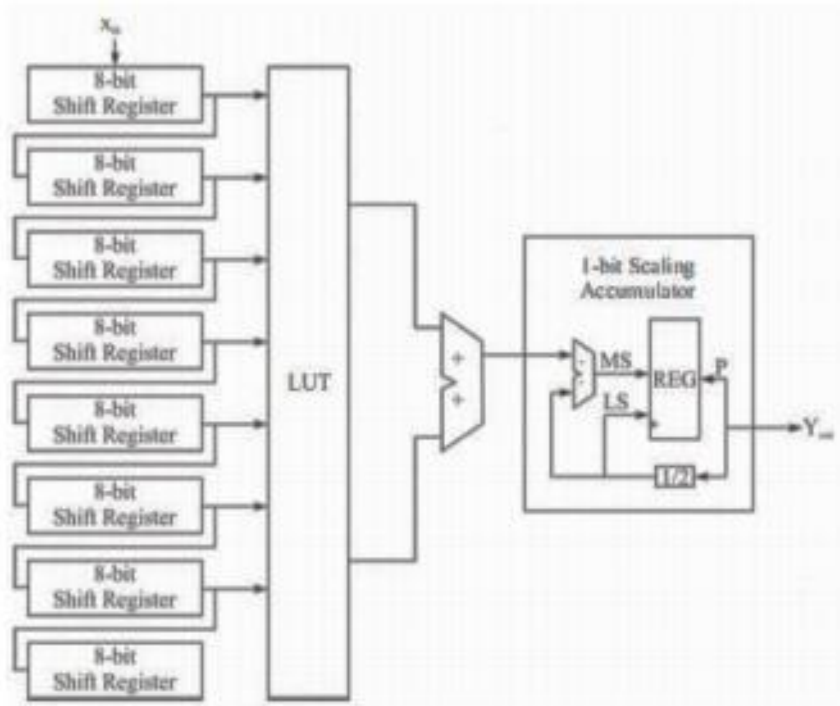

Fig 3. Proposed Distributive Arithmeticfor image compression

The calculation of the DWT is directed in the accompanying way. The first picture information is put away in primary memory (off-chip) and stacked to the line supports line by line through the direct memory access. Row transformed lines are finished and put away set up in the line buffers. The DWT segment works on the column transformed information once a sufficient number of lines are finished (this relies on upon the lengths of the DWT channels). All operations are finished in a pipelined way. Finished DWT information is composed back to the fundamental memory through the direct memory access. Transitional limit states are put away in limit information supports (on-chip) and got later to increase image information lines and/or limit information from the neighboring stripe and after that went to the DWT row or column kernels. When all the DWT deterioration levels are computed, each DWT preparing unit passes its upper transitional limit information to the following top neighboring unit and gets lower transitional limit information from the following lower unit to begin the union procedure to finish the DWT decay at the stripes limits. At every stage, transitional information (or states) is gone to the proper areas in the DWT portions pipeline, and calculations continue in the same way that was utilized for the introductory DWT calculations until all the DWT levels are finished.

SIMULTION RESULT AND ANALYSIS

In this we discuss about the results of the proposed method for medical image compression. This method is applied for medical images for compression of the data and the aim of this method to achieve the better performance results in terms of power, frequency and slices. Here we do image mapping by considering image block by implementing lifting wavelet scheme.

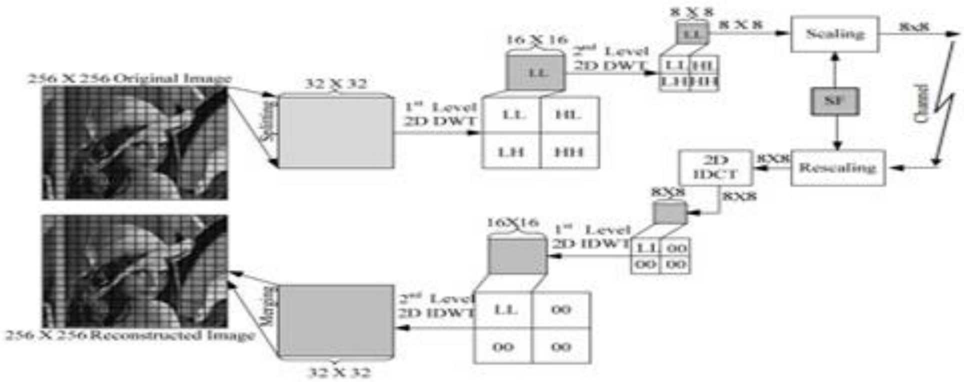

Figure.4. Image blocks mapping

This method is applied forward and inverse lifting DWT scheme. The blow given table 1 shows the synthesis results of lifting scheme.

	Used	Available
Number of Slices	492	63168
Number of Slice Flip-Flops	371	126336
Number of 4-Input LUTs	942	126336
Number of bonded IOBs	44	768
Frequency	357.500MHz	

Table 1 Synthesis Results

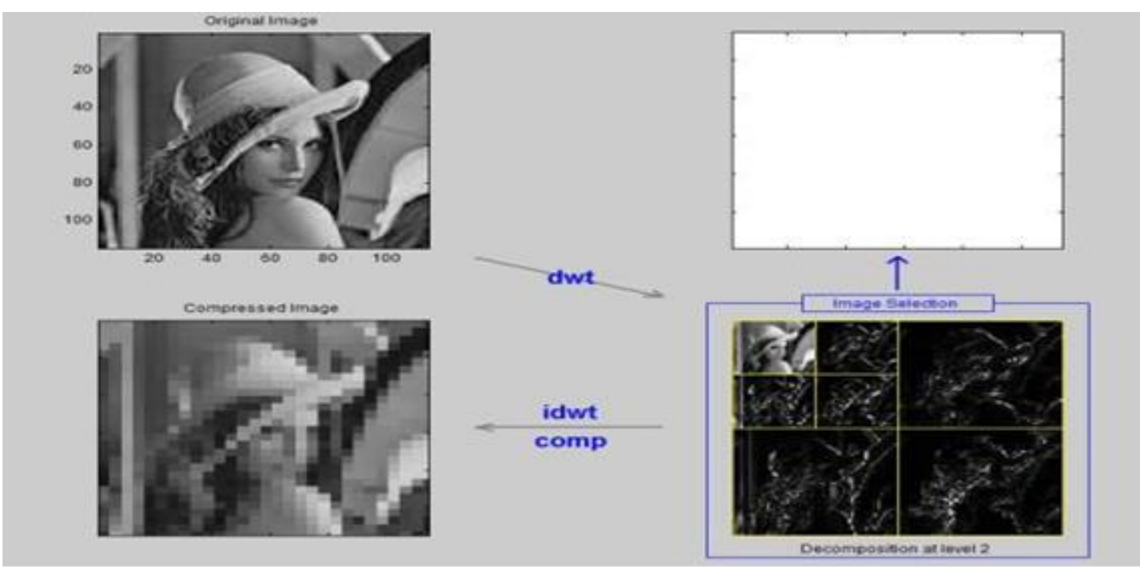

Figure 5. Image representation using lifting DWT scheme.

Below the power consumption results are presented in table 2

Power Summary		
Total Power	Dynamic Power	Static Power
1251.81 Mw	8.14mW	142.97mW

Table 2 Power Consumption summary

CONCLUSION

The Discrete Wavelet Transform provides a multi-resolution representation of images. The transform has been implemented using filter banks. For the design, based on the constraints the area, power and timing performance were obtained. Based on the application and the constraints imposed, the appropriate architecture can be chosen. For the Daubechies 2, the poly-phase architecture, with modified DA technique was implemented. The latency of the proposed architecture is 44 clock cycles and throughput is 4 clock cycles, and hence is twice faster than the reference design. It is seen that, in applications, which require low area, power consumption, and high throughput, e.g., realtime applications, the poly-phase with DA architecture is more suitable. The bi-orthogonal wavelets, with different number of coefficients in the low pass and high pass filters, increase the number of operations and the omplexity of the design, but they have better SNR than the orthogonal filters. First, the code was written in Verilog HDL and implemented on the FPGA using a 64 x 64 random image. Then, the code was taken through the ASIC design flow. For the ASIC design flow, 8x8 memory considered to store the image. This architecture enables fast computation of DWT with parallel processing. It has low memory requirements and consumes low power. By using the same concepts which are mentioned above are useful in designing the Inverse Discrete Wavelet Transform (IDWT).

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